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9	The Temporal Selfish Herd:
10	Predation risk whilst aggregations form
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33 Abstract

34 The hypothesis of the selfish herd has been highly influential to our understanding of 35 animal aggregation. Various movement strategies have been proposed by which 36 individuals might aggregate to form a selfish herd as a defence against predation, 37 but although the spatial benefits of these strategies have been extensively studied, 38 little attention has been paid to the importance of predator attacks that occur while 39 the aggregation is forming. We investigate the success of mutant aggregation 40 strategies invading populations of individuals using alternative strategies, and find 41 the invasion dynamics depend critically on the timescale of movement. If predation 42 occurs early in the movement sequence, simpler strategies are likely to prevail. If 43 predators attack later, more complex strategies invade. If there is variation in the 44 timing of predator attacks (through variation within or between individual 45 predators), we hypothesise that groups will consist of a mixture of strategies, 46 dependent upon the distribution of predator attack times. Thus, behavioural 47 diversity can evolve and be maintained in populations of animals experiencing a 48 diverse range of predators differing solely in their attack behaviour. This has 49 implications for our understanding of predator-prey dynamics, as the timing of 50 predator attacks will exert selection pressure on prey behavioural responses, to 51 which predators must respond.

52

53 Keywords: selfish herd, aggregation, anti-predator behaviour, group living

54 Introduction

Aggregation into groups of individuals is a widespread phenomenon across many
animal species. There are a number of well-recognised benefits to aggregation
through mechanisms that act to reduce predation risk (Krause & Ruxton 2002),
including the dilution (Foster & Treherne 1981), encounter-dilution (Turner & Pitcher
1986) and confusion (Miller 1922; Krakauer 1995) effects, where the presence of
other animals acts to reduce the risk to any given individual.

61

62 However, there are also potential costs to forming aggregations, of which the most 63 commonly considered are reduction in resource uptake rate through competition; 64 increased aggression; local resource depletion and increased detection by predators 65 (for a review, see Krause & Ruxton 2002 and references therein). Thus, many taxa 66 use grouping facultatively in response to the strength of perceived predation risk, 67 initiating or enhancing aggregation in response to heightened threat (Foster & 68 Treherne 1981; Watt et al. 1997; Viscido & Wethey 2002). The process of forming an 69 aggregation can take a non-trivial amount of time, being dependent at least on the 70 finite rates of turning and movement of the individuals concerned (James et al. 2004, 71 Wood 2010). Thus it may commonly be that predators attack while the aggregation 72 is forming. In contrast, existing theory, almost without exception, ignores this case 73 and focuses on stable groups (that are either permanently maintained or are the 74 behavioural outcome of the process of aggregation studied here).

75

A particularly influential body of theory for understanding the anti-predatory
benefits of aggregation has been the Selfish Herd hypothesis stemming from the

78	classic paper of Hamilton (1971). This hypothesis assumes that the relative risk of
79	two individuals can be evaluated by comparison of the areas around them that
80	include all points closer to that individual than to any other (the so called 'domains
81	of danger'). There has been important recent work refining the definition of domains
82	of danger (Beecham & Farnsworth 1999; James et al. 2004) and evaluating the types
83	of behavioural patterns that generate aggregations through the Selfish Herd effect
84	(Morton et al. 1994; Viscido et al. 2002; James et al. 2004; Reluga & Viscido 2005;
85	Wood & Ackland 2007; Morrell & James 2008). Many of these latter works take an
86	evolutionary approach, comparing the relative predation risk of interacting prey
87	adopting different strategies. However, implicitly or explicitly, these previous works
88	evaluate the relative effectiveness of different behavioural strategies only after the
89	process of aggregation has resulted in a stable group configuration. Here we aim to
90	generalise this to the biologically realistic case where attacks occur while
91	aggregations are still in the process of forming.
92	
93	Facultative group formation may be triggered by cues that provide either
94	information about general risk of attack or warning of an impending specific attack.
95	An example of the first case may be aggregation driven by lower environmental light
96	levels (triggered by cloud formation or impending dusk) that are correlated with
97	enhanced attack rates by predators and/or reduced ability to detect or evade attacks
98	that do occur (Lima 1988; Metcalfe & Ure 1995). An example of the second might be
99	a predator that has to break from cover and travel a distance across open ground
100	before making contact with the prey (such as a cheetah stalking prey through long
101	grass before attacking; Schaller 1968). As soon as the predator breaks cover it is

likely to be much more easily detectable than it was previously. In response to such
detection there may be sufficient time for the prey to initiate (and perhaps even
complete) the process of aggregation before the predator has closed on the prey;
however sometimes the prey may still be in the process of aggregating when the
predator strikes. This last situation is an exemplar of the type of phenomenon
modelled in this paper.

108

109 As discussed above, the process of aggregation can be thought of as being triggered 110 by cues that a specific attack is imminent. However, the point at which individual 111 prey are at risk from the attack may be later than that (Bednekoff & Lima 1998). 112 Implicit in the concept of the domain of danger and its modifications is the issue of 113 target selection by the predator. A relatively large domain of danger indicates a large 114 relative risk of being the target of a particular attack (Hamilton 1971; Morton et al. 115 1994). If we take the example of a cheetah breaking cover from some trees and 116 closing in across grassland on a number of gazelle, it is likely that distance from cover 117 to any prey is sufficient that there may be changes in the relative positioning and 118 behaviour of the gazelle before the cheetah has closed sufficiently to tackle any one 119 individual. Hence, in such cases it is likely to be advantageous to the cheetah to delay 120 selection of a particular gazelle to target in the attack until some time into the 121 closing phase of its attack. It is at this moment of target selection that the relative 122 predation risks of prey in different positions (relative to others) most directly impacts 123 on the outcome of the attack for specific prey individuals (Bednekoff & Lima 1998). 124 Thus it is at this point in the predation sequence that the relative effectiveness of 125 different aggregation strategies is evaluated in our model. This moment may well

occur while the process of aggregation is still ongoing. Neill & Cullen (1974) and Lima
(2002) both discuss the value of clearly separating predator strategy from tactics.
Our paper can be seen as a small step in correcting the current imbalance of
research focus on the first of these. We deal not with the larger scale question of
how animals trade-off predation risk and resource exploitation, but the finer-scale
issue of identification of the anti-predator tactics that would be useful in different
circumstances.

133

134 Throughout this paper, the timing of attacks refers to the timing of the moment of 135 target selection by the predator relative to the time when the predator could first be 136 detected by the prey (causing the prey to initiate defensive aggregation; Bednekoff 137 & Lima 1998). We demonstrate the importance of considering the temporal aspect 138 of movement decisions in the reduction of individual risk within groups of animals. 139 We investigate the relative success of different movement rules, and the success of a 140 mutant strategy invading a population of individuals using an alternative strategy. 141 We explore a variety of rules of increasing complexity, since some complex 142 movement rules have been criticized (Morton et al. 1994; Viscido et al. 2002) on the 143 basis that they may be cognitively too demanding for animals to follow. We find that 144 the invasion dynamics depend critically on the timescale of movement, and focus 145 our evaluation of these results on the evolutionary consequences of variation in 146 attack time.

147

148 Methods

149	We use the agent-based modelling framework described by James et al. (2004) and
150	Morrell & James (2008) as the basis for our simulation model of aggregation
151	behaviour. N point-like agents (prey individuals; we use $N=20$ as the default here)
152	are placed in a two-dimensional circular arena of radius R (measured in m, although
153	the model is applicable to any unit) following a uniform random distribution. The
154	density of individuals (per m ²) within the group, <i>d</i> , is given by $N/\pi R^2$. We investigate
155	the effect of altering N and $d(R)$ on the results in the electronic supplementary
156	material. Each agent is surrounded by a two-dimensional domain of danger (a
157	limited domain of danger, LDOD) in the shape of a circle of radius r, with a maximum
158	area $A_{max} = \pi r^2$. We use the LDOD framework (James et al. 2004), rather than one
159	where peripheral individuals have infinite domains of danger, as it is thought to
160	more closely resemble predation risk in the wild (James et al. 2004; Morrell & James
161	2008). Only isolated individuals (those at least 2 <i>r</i> from any others) have an LDOD
162	area of A_{max} . For other individuals, the circular LDOD is reduced by any bisector
163	generated by an agent within a distance of 2 <i>r</i> , giving an LDOD area A. In each
164	simulation, each agent is allocated a movement rule from those defined below.
165	
166	We consider three different movement rules (a subset of previously proposed rules
167	and those considered in Morrell & James (2008)). In line with Hamilton's (1971)
168	original ideas, and to allow for comparison with other published studies (Morton et
169	al. 1994; Viscido et al. 2002; James et al. 2004; Morrell & James 2008), we do not
170	explicitly model predator behaviour: agents do not receive any directional

- 171 information regarding the predator's approach direction. Such directional
- 172 information has been shown to result in a movement decision that comprises both

173	movement away from the predator, and movement towards other individuals within
174	the group (Viscido et al 2001). Here, we focus our attention on the more
175	controversial aspect of movement towards other individuals, rather than simply
176	away from the predator. In addition the habitat is assumed to be homogenous, with
177	no areas of cover that could potentially be used by the prey for protection.
178	
179	The rules we consider are:
180	1) Nearest Neighbour (NN): Each agent moves directly towards its closest
181	neighbour (Hamilton 1971). NN is the simplest rule we consider.
182	2) <i>Multiple Nearest Neighbour</i> (<i>n</i> NN): Individuals move towards the average
183	location of several (n) nearest neighbours (Morton et al. 1994). For simplicity,
184	we consider only <i>n</i> =3 here.
185	3) Local Crowded Horizon (LCH): Each individual moves towards the area with
186	the densest concentration of conspecifics, depending on their positions
187	relative to the focal individual. Individuals calculate the distance to their (up
188	to) 20 closest neighbours, and close neighbours have a strong influence on
189	movement direction, while distant group-mates exert a much weaker
190	influence. We use the perception function suggested by Viscido et al. (2002)
191	as being biologically plausible: , where <i>x</i> is the distance from the
192	focal individual and $k=0.375$ (Viscido et al. 2002). The influence of each
193	neighbour is weighted by $f(x)$.
194	In our simulations, N_{NN} agents used the NN rule, N_{3NN} agents used the 3NN rule, and
195	N_{LCH} agents used the LCH rule ($N_{NN} + N_{3NN} + N_{LCH} = N$).

197	In each timestep t , until a maximum t_{max} (here, t_{max} = 10 seconds), each agent
198	identifies its target location, based on the movement rule it is following, and then
199	moves at a speed of 0.15m/s towards that target location (the approximate
200	swimming speed of a three-spined stickleback; James et al. 2004; Morrell & James
201	2008). Each timestep in our simulations lasts 0.1 seconds. The start of the simulation
202	(t = 0) represents the point at which the agents begin moving. All individuals move
203	simultaneously, as is likely to occur in nature, rather than sequentially, and thus each
204	agent updates its target location and direction in every timestep. Bode et al (in
205	press) demonstrate that under higher predation threat, synchronous behaviour
206	becomes increasingly probable. LDOD areas are calculated after every timestep and
207	for every individual. We ran 1000 simulations for each set of parameter values. All
208	simulations were run in C, and resulting data were analysed using Matlab® R2007b
209	(Mathworks 2007).

210

211 At each timestep, we calculated the total LDOD area (the sum of A for all individuals, 212 A_{tot}). We then calculated the proportion of A_{tot} occupied by each individual, to give a 213 measure of the way predation risk is distributed among individuals. For each 214 timestep, we then calculated the mean proportion of A_{tot} for all individuals using 215 each strategy. Finally, we calculated the mean and standard error of these values 216 across 1000 replicate simulations. This method allows us to compare the relative 217 success of strategies in reducing individual risk: if the mean proportion of A_{tot} 218 occupied by individuals using one strategy is less than the mean proportion of A_{tot}

219 occupied by individuals using an alternative strategy, then the first strategy is more

220 successful at reducing individual risk.

221

222 Results

- 223 Proportion of risk: Mixed-strategy population
- Figure 1 shows how the proportion of the total LDOD area (A_{tot}) occupied by
- individuals using each strategy changes over the course of 10 seconds of movement,
- when each strategy is equally represented in the population ($N_{NN} = N_{3NN} = N_{LCH} = 7$).
- 227 Figure 1 indicates that the relative success of the different movement rules is
- 228 dependent on the time elapsed since the start of prey movements towards each
- 229 other. This can be thought of as the time at which the predator closes on and makes
- 230 its attack on the moving prey group. Time t = 0, when the prey start moving, can be
- thought of the time when the prey first detect the presence of the predator and/or
- cues of imminent attack. At very rapid predator attack times (< 1 second after
- detection), NN and 3NN individuals do equally well, and are more successful than
- 234 LCH individuals in the population (figure 1). If predators attack more slowly (after
- between 1 and 5 seconds of movement), 3NN individuals do considerably better
- than individuals using other rules. After 5 seconds of movement, LCH individuals are
- 237 most successful. Thus, if we considered only what happened when the population
- reached equilibrium (i.e. when movement ceases), we could conclude that the LCH
- 239 strategy was the most successful, yet the 3NN strategy performs better for a
- 240 considerable proportion of the movement time. Thus selection pressure on
- 241 movement rules depends on the characteristic interval that prey have for

aggregative movements between them first detecting the predator and the predatorbeing in a position to capture an individual.

244

245 *Mutant invasions*

246 We next consider the ability of 'mutant' rules to begin to invade a population using a 247 different movement rule. In each set of simulations, 19 individuals use the 248 'population strategy', and one individual uses an alternative strategy. We investigate 249 all 6 potential mutant-population combinations. Figure 2 illustrates the ability of the 250 mutant rules to invade each population type, showing the mean proportion of the 251 total LDOD area (A_{tot}) occupied by the mutant and population members. 252 The ability of a mutant using one strategy to invade a population using an alternative 253 strategy is highly dependent on the time at which the invasion is considered. A NN 254 population (figure 2b & d) is stable against invasion by both the 3NN (2b) and LCH 255 (2d) mutant for the first approximately 1.5 seconds of movement. After this time, 256 the 3NN mutant can successfully invade, but the population is stable against invasion 257 by the LCH mutant for intervals less than approximately 4 seconds. A 3NN population 258 (figure 2a & f) is always stable against invasion by NN mutants (2a) and against LCH 259 mutants for intervals less than approximately 7 seconds (2f). If the predator attacks 260 with a longer interval than this, the LCH mutant can invade the population. Finally, in 261 a population of LCH individuals (figure 2c & e), both NN and 3NN mutants can invade 262 if predators attack rapidly (< 1 second for NN, < 2 seconds for 3NN), but if the 263 predator attacks after more than 2 seconds of movement has taken place, a LCH 264 population will be stable against invasion.

265

266 Invasion dynamics

267 We now consider what happens as the number of mutants in a population increases 268 (either through individuals using different strategies entering the group, individuals 269 switching strategy, or through reproduction where parental strategies are passed on 270 to offspring). We initially consider a single mutant individual using one strategy 271 invading a population using an alternative strategy (thus considering the strategies in 272 a pair-wise game), then increase the number of mutants (5 and 10 mutant 273 individuals in a total population of 20). As before, we calculate the mean proportion 274 of the total LDOD area occupied by individuals using each strategy. We then 275 calculate the difference in these values as (mutant mean – population mean), giving 276 a positive value where the population is stable against invasion, and a negative value 277 where the mutant is able to invade. This is shown in figure 3, where each panel 278 represents a different mutant-versus-population comparison, with three different 279 mutant frequencies. 280 281 At the start of each predator attack, there are initial intervals of a few tenths of a 282 second where invasion is possible in all populations (t<0.3). These occur when the 283 individuals have only just begun movement, and are close to being randomly 284 positioned in the arena. There is a possibility, then, that a mutant using any strategy 285 could invade a population using any alternative strategy, if predators attack in the 286 first moments after detection by the prey (for example, an ambush predator).

287

We now consider whether populations are stable against invasion after potentiallyadaptive movement has taken place. If we consider pairs of populations in turn, we

290 can investigate whether a population using strategy 'A' is stable against a mutant 291 using strategy 'B' and vice versa. A single NN mutant can invade a 3NN population 292 (figure 3a, squares) only in the first moments of movement, and thus 3NN is stable 293 against NN. NN populations are stable against 3NN (figure 3b) only if the predator 294 attacks within the first two seconds, otherwise, the 3NN mutant can invade. When 295 NN plays LCH (figure 3c), the LCH population is stable after 1.5 seconds of 296 movement, while a NN population is stable against invasion by a single mutant for 297 intervals less than 4.5 seconds (figure 3d). In the final combination, 3NN can invade 298 LCH for around 2.5 seconds after movement begins (figure 3e), while being stable 299 against a LCH mutant unless the interval is greater than approximately 7.5 seconds 300 (figure 3f).

301

302 If a mutant can invade a population, then that mutant can increase in frequency in 303 the population, and there is the potential for the mutant strategy to become the 304 dominant strategy in the population or for a combination of strategies to co-exist. 305 Figures 3a-f also show the invasion success of mutants as their numbers increase to 5 306 (circles) and then 10 (triangles). Our results show that once a mutant strategy has 307 gained a foothold in the population, the range of intervals over which that strategy is 308 more successful than the original population strategy increases (the areas where the 309 difference between the means is negative increases). We consider first the case 310 where predator attack times are fixed (i.e. the predator always attacks at a certain 311 point in time), and discuss how each pair-wise combination of strategies is likely to 312 evolve:

313

NN and 3NN: For the majority of predator attack times, a 3NN population is stable against invasion by NN, and a 3NN mutant can invade a NN population. However, if predators attack rapidly, invasion by a NN mutant is possible, and a NN population is stable (Figure 3a and b). If NN initially invades, then it can increase in numbers until the population consists of 10 NN and 10 3NN individuals (figure 3a). For slower (later) predator attack times (larger values of *t*), the opposite is true: 3NN mutants can increase in number, and persist at increasingly rapid attack times (figure 3b).

322 **NN and LCH:** A single NN individual can invade a LCH population at rapid predator 323 attack times and remains more successful at these times as its numbers increase 324 (figure 3c). A single LCH individual can successfully invade a NN population after 4.5 325 seconds (figure 3d), and remains more successful at later attack times as numbers 326 increase. When the group is equally divided between the two strategies, there is a 327 very small period of time (at around 2 seconds) where success of the two strategies 328 is similar (the point at which the triangles on figures 3c and 3d cross the 'zero' line). 329 For intervals of this length, it is possible that a mixed group of individuals might 330 persist, unless random drift allows the numbers of one or the other to increase to 331 fixation. Otherwise, the population is likely to fix at NN (if attack times are rapid) or 332 LCH (if attack times are slower).

333

334 **3NN and LCH:** A similar pattern is seen for the remaining strategy combination: 3NN
335 can increase in numbers if predators attack rapidly (figure 3e), while LCH can
336 increase if predators attack later (figure 3f). When the group consists of half 3NN and
337 half LCH, there is again a small period of time where strategies could co-exist, but

338 generally, we would expect the population to evolve to either 3NN (if attacks are339 rapid) or LCH (if attacks are slow).

340

341 Discussion

342 Our results suggest that the consideration of the timing of predator attacks (relative 343 to the movement speed of the prey) is critically important in understanding the anti-344 predator responses of prey. The timing parameter studied in our model is the delay 345 between prey first being aware of impending attack and an individual actually being 346 struck by the predator. This will be influenced both by the nature of the predator 347 and by the environment. For predators that attack from protective cover, the greater 348 the distance between such cover and the prey group the greater the attack time. 349 Thus we would expect this attack time to be longer in open environments (like 350 Steppe grasslands, tundra, savannah, lakes and seas) than more complex 351 environments where prey can less easily avoid potential hiding places of their 352 predators (like scrubland, forest, or narrow rivers and streams). While we found that 353 complex strategies are generally favoured over longer attack times, no defence is 354 effective at very short attack times (against ambush predators). This is because there 355 is insufficient time between predator detection and attack for a significant amount 356 of adaptive movement to take place, and individuals remain close to their random 357 starting positions. The benefits of potentially adaptive movement are only seen later 358 in the movement sequence. Complex strategies are not immediately favoured, 359 particularly in low density groups (see electronic supplementary material), due to 360 the fact that individuals using these rules can be left moving 'alone' with no 361 reduction in LDOD area, for a longer time period, as their strategy does not take

them directly towards another individual (thereby rapidly reducing LDOD area). With
the exception of the initial moments of the movement sequence, we found no
evidence that multiple strategies might coexist in a population at any given attack
time, suggesting that variation in predator attack timing would be necessary to allow
for multiple strategies to coexist.

367

368 Our results also suggest that there may be positive frequency dependence to rule 369 success. A strategy can invade across a wider range of attack times if it starts at a 370 higher frequency. Thus, both simple and complex rules are favoured when they are 371 already abundant in the population. A population consisting predominantly of one 372 strategy is much more stable against invasion than one consisting of a mixture of 373 strategies. This suggests that each strategy is most successful when in a group 374 containing others playing the same strategy, and may work against polymorphism at 375 any fixed attack time, again suggesting that a mixture of attack times is needed to 376 select for mixed responses in prey.

377

378 Overall, if predator attack times are fixed, then there are very few opportunities for a 379 mixture of different strategies to persist in the population. A second, and perhaps 380 more likely, possibility is that predator attack times are not fixed, but that predators 381 may attack a group across a range of times. Together, our results point to the 382 following hypothesis: If predators are fixed in their attack strategy (i.e. they always 383 attack at the same point in time) we predict that prey populations should evolve 384 towards a single, evolutionarily stable movement rule. However, if predator attacks 385 are unpredictable in time, either because different individual predators have

386 different, fixed, attack times, different species of predators differ in their hunting 387 methods and therefore attack timing, or other factors (such as distance from cover) 388 cause variation in attack timing, then we predict mixed responses in prey. Some prey 389 individuals may use simple rules, and others more complex rules (a polymorphism), 390 or individuals may respond using alternative rules (a mixed solution), perhaps 391 dependent upon other factors, such as the immediate size and density of the group, 392 or their own individual perceived risk. For example, individuals may use their 393 distance to neighbours to choose which rule to use; using one rule when close to a 394 neighbour, and a different rule if isolated. In a group consisting of individuals using 395 NN and LCH, for example, the individuals using LCH would be safer on those 396 occasions where predators attack slowly, while those using NN would be safer on 397 those occasions where predators attack more rapidly, thus, prey could select their 398 strategy based on the distance between the predator and the group. The overall 399 success of the two strategies and the dynamics of the population evolution would be 400 dependent on the distribution of predator attack times.

401

402 Many species are preyed upon by a variety of predators differing in their attack 403 behaviour, and where multiple predators are present, prey are likely to evolve a 404 range of risk-sensitive responses (Lima & Bednekoff 1999; Relyea 2003). Vervet 405 monkeys (Cercopithecus aethiops), under threat from leopards, martial eagles and 406 pythons, show predator-specific alarm calls and anti-predator responses (Struhsaker 407 1967; Seyfarth et al. 1980). In fish, guppies (*Poecilia reticulata*) fall prey to a variety 408 of other organisms, and respond in a risk-sensitive manner (Botham et al. 2008). 409 Thus, we may expect different movement rules to evolve in response to different

410 predators. Individuals of the same predatory species may also differ consistently in 411 their attack strategies (Sih et al. 2004). While some variation in attack times can be 412 attributed to predator species or strategy, variation in attack timing is also likely to 413 result from random factors, such as the distance from the prey group at which the 414 predator is first detected. Testing this hypothesis is a fascinating route for future 415 study.

416

417 Previous studies have shown that individuals using simpler strategies (such as NN) 418 can achieve protection through encounter-dilution effects (Morrell & James 2008), 419 and here we show that these individuals can also benefit at the expense of others in 420 the group (i.e. through the selfish herd effect), given the right ecological conditions. 421 Using an evolutionary genetic algorithm Reluga & Viscido (2005) demonstrated that 422 complex averaging rules could evolve from simpler ones, but considered only 423 equilibrium DOD areas once the aggregation had formed, and not attacks that occur 424 while the aggregation is in the process of forming. Empirical evidence for the use of 425 different movement rules is limited (Morrell & James 2008), although in three-spine 426 sticklebacks, individuals appear to prefer neighbours that can be reached more 427 quickly over those that are spatially closer (Krause & Tegeder 1994).

428

In line with previous explorations of the selfish herd, we assume here that predators appear at random and attack the closest individual, so that risk is related entirely to LDOD area. In reality, predators may target specific individuals within a group, or certain positions within the group may be more risky than others. Peripheral individuals should theoretically be more at risk than those in the centre of a group

434	(Hamilton 1971; Vine 1971), something that has received support across taxa
435	(Stankowich 2003; Morrell & Romey 2008; but see Parrish 1989). An individual's
436	position within a group may therefore affect the best way for it to respond to a
437	predator attack, and thus movement rules may also be state-dependent (Rands et al.
438	2004), perhaps related to each individual's perception of its position within the
439	group or level of risk (LDOD area). Vigilance and the detection of predators by prey
440	may also affect optimum movement decisions. If predators delay target selection
441	until after some individuals have detected and responded to the predator (Bednekoff
442	& Lima 1998), any delay in responding may also influence optimal movement rules.
443	Here we have shown the importance of closing speed of the predator relative to the
444	movement speed of prey on selection on anti-predator grouping behaviours.
445	Interestingly, Wood (2010) demonstrates a similar strong influence of predator
446	speed on the final shape of aggregations predicted by plausible prey movement
447	rules.
448	

We also assume that all individuals begin moving at the same point in time, and at 449 450 the same speed, when in many animal groups there is variation in both 'starting 451 time' and movement speed. We suggest that the optimal movement rule for any 452 given individual should depend on its escape speed. A fast-moving individual may 453 benefit by using a simple rule, particularly if predators attack quickly. Presumably, a 454 fast-NN animal could easily invade a population using slow-NN, leading to the 455 evolution of faster escape responses. The speed of decision-making may also be 456 important: complex movement rules have been criticised (Morton et al. 1994; 457 Viscido et al. 2002) on the basis that they may be cognitively too demanding for

animals to follow. Incorporating a 'thinking time' into each movement step couldaccount for the complexity of the calculations.

460

461 Our findings have implications for our understanding of predator-prey dynamics, as 462 the timing of a predator attack relative to the detection of the predator by the prey, 463 and the prey response, is critical in determining the optimal escape decision of the 464 prey. Early and late attacking predators may exert different selection pressures on 465 prey, resulting in a mixture of escape strategies within a single prey population. The 466 movement rules used to escape from predators could also influence positioning 467 outside attack periods, allowing individuals to choose a position in a group which 468 allows for successful reduction of risk when attacks occur. Clearly, the ability of prey 469 to respond appropriately to predators will be critical for their fitness, but equally, 470 predators that behave unpredictably (by attacking at different times) may ensure 471 that a single optimal prey response cannot evolve, and leave a mixture of different 472 escape strategies within a population. We have adopted a modelling framework in 473 this study that allows effective comparison with previous relevant studies. However, 474 it should be acknowledged that this represents a highly idealised description of any 475 natural system. As the body of theory on the selfish herd becomes more and more 476 substantial, the need to explore how well the predictions of idealised models 477 transfer to system-specific, more-realistic case studies grows also. In our modelling 478 framework we do not consider predator success and thus cannot evaluate selection 479 pressures on the predator, thus, the longer-term evolutionary consequences of the 480 aggregative tactics explored here are also worthy of exploration within a co-481 evolutionary modelling framework.

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488	
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567 Figure legends

569	Figure 1: Proportion of risk: Mean (± 2 SE) proportion of total LDOD area occupied
570	by individuals using NN (squares), 3NN (triangles) and LCH (circles), when all
571	strategies are equally represented in the population. Parameter values: $N_{NN} = N_{3NN} =$
572	<i>N_{LCH}</i> = 7, d = 4
573	
574	Figure 2: Mean (± 2 SE) proportion of total LDOD area occupied by the mutant (open
575	shapes) and an average population member (filled shapes), for each possible
576	combination of mutant (open circles) and population strategy (filled squares). a) A
577	NN mutant in a population of 3NN ('NN v 3 NN'); b) 3NN v NN; c) NN v LCH; d) LCH v
578	NN; e) 3NN v LCH; f) LCH v 3NN. Other parameter values: $N = 20$, $N_m = 1$, $d = 4$
579	
580	Figure 3: Invasion dynamics: Invasion success as mutant numbers increase,
581	measured as the difference in the mean proportion of total LDOD area occupied by
582	mutants and population members. The horizontal line at zero indicates equal success
583	(measured as proportion of total LDOD area); positive values indicate that the
584	population is stable against invasion by the mutant, and negative values that the
585	mutant can invade the population. Squares: $N_{mut} = 1$, circles $N_{mut} = 5$ and triangles:
586	N_{mut} = 10. a) NN v 3NN b) 3NN v NN, c) NN v LCH, d) LCH v NN, e) 3NN v LCH and f)
587	LCH v 3NN. Error bars represent 1 standard deviation. Parameter values: $N = 20$, $d =$
588	4.











- 599 Electronic Supplementary Material Adjusting population size and density
- 600

601 Using identical methodology to that in the main paper, we also consider the effect of 602 altering population size and density. In each of the panels in figure S1, we alter one 603 population parameter relative to figure 1. As density decreases (to d = 2, figure S1a), 604 the simpler strategies remain the most successful at rapid predator attack times. As 605 population density increases (d = 10, figure S1b; qualitatively equivalent to increasing 606 the radius of the LDOD, or the distance from which predators can successfully 607 attack), LCH becomes much more successful over a wider time range. Only at very 608 short attack times can the 3NN individuals outperform the LCH individuals. If we 609 decrease population size while maintaining density at d=4 (fig S1c; population size 610 has been shown previously to have an effect on rule success independent of density; 611 Morrell & James 2008), NN performs badly at all attack times, while LCH and 3NN 612 have similar success at rapid attack times, but LCH outcompetes 3NN at longer attack 613 times. If we increase population size (fig S1d) simpler rules have increased success 614 over more complex rules over a longer period at the start of simulations. 615 616 Thus, at lower population densities, and in larger populations, simpler rules are able to 617 invade populations using more complex rules (and are stable against invasion) over a 618 greater range of predator attack times. When groups are already compact (higher 619 population densities), more complex rules are needed for a mutant individual to 620 benefit at the expense of a population using simpler rules, but again, the timing of the 621 predator attack is critically important in determining the invasion success of 622 alternative strategies.



624

Figure S1: Population parameters: The effect of altering population size and density on the relative success of different strategies (NN - squares, 3NN - triangles and LCH - circles). Panels show: **a**) Low density population: $N_{NN} = N_{3NN} = N_{LCH} = 7$, d=2, **b**) High density: $N_{NN} = N_{3NN} = N_{LCH} = 7$, d=10, **c**) Small population: $N_{NN} = N_{3NN} = N_{LCH} =$ 4, d=4 and **d**) Large population: $N_{NN} = N_{3NN} = N_{LCH} = 15$, d=4.